

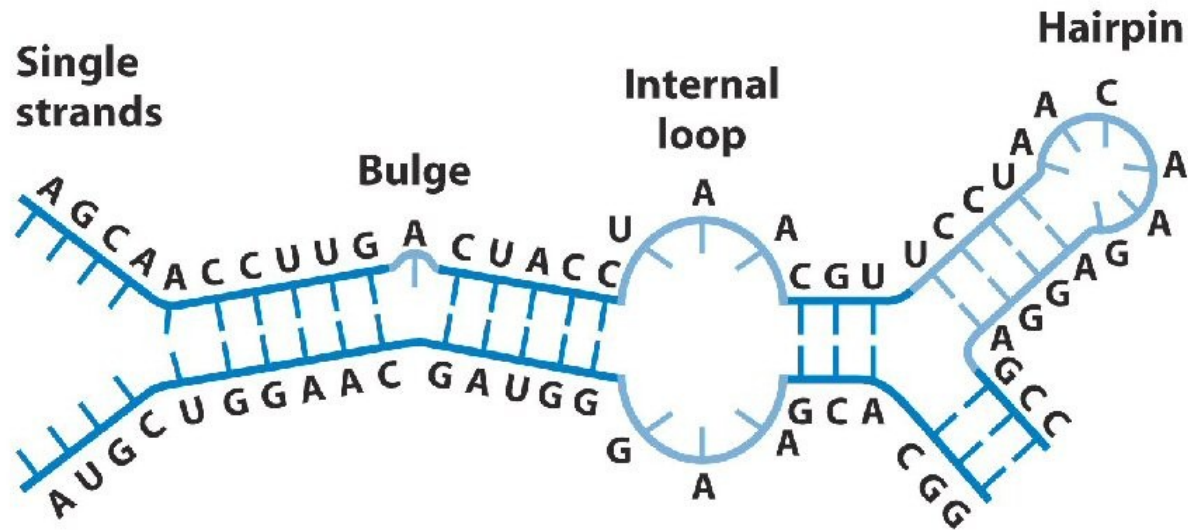
CMSC423: Bioinformatic Algorithms, Databases and Tools

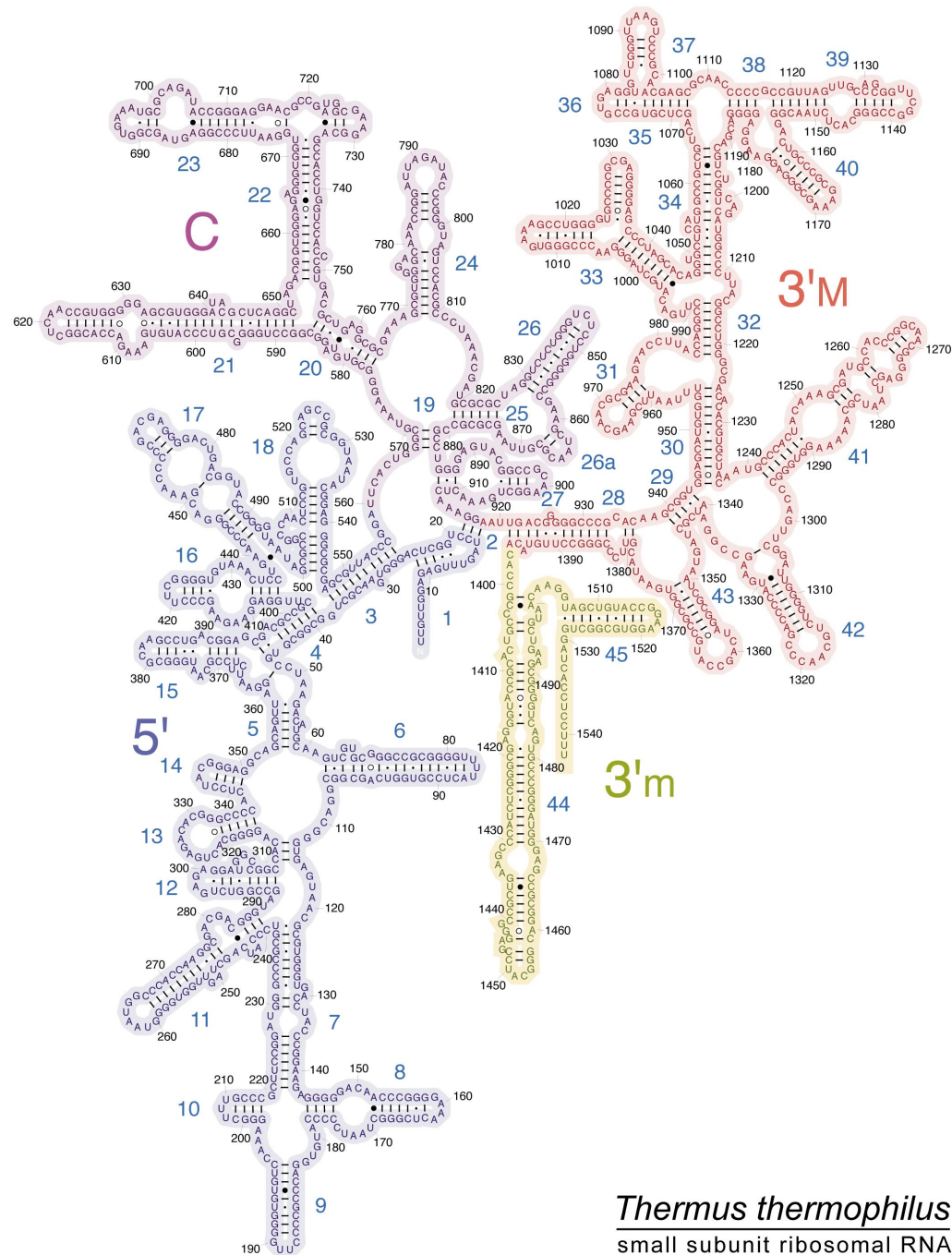
Lecture 20

RNA folding

RNA folding

- Function of RNA molecules depends on how they fold, based on nucleotide base-pairing

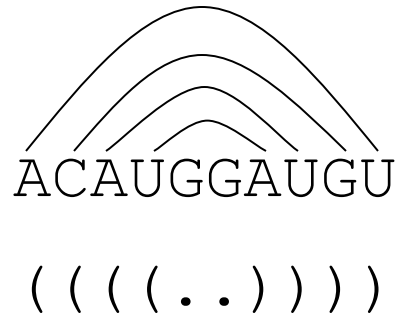




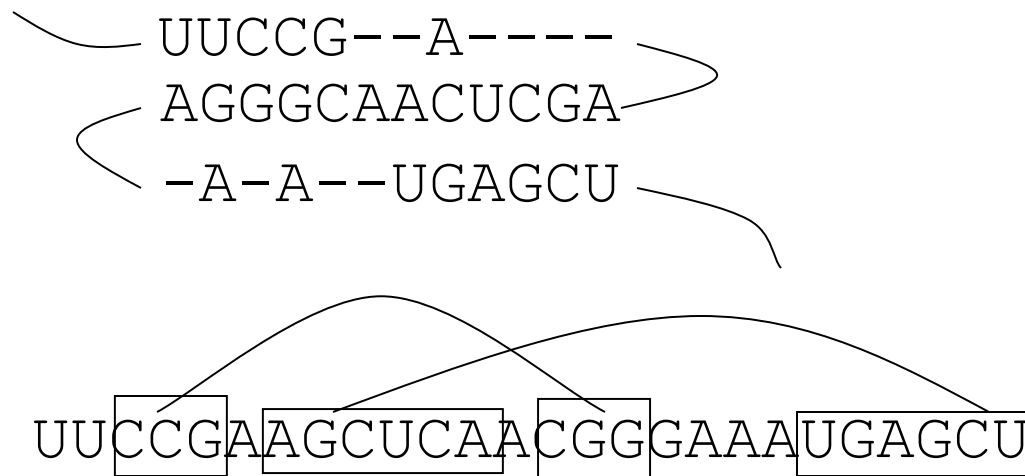
Thermus thermophilus
 small subunit ribosomal RNA

Types of structures

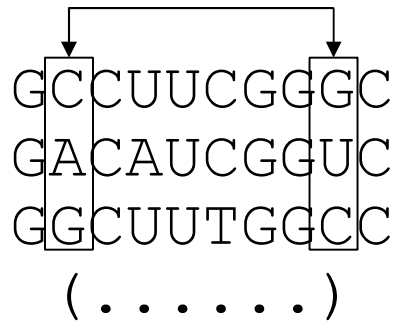
- Nested (hairpin)



- Pseudo-knots



From multiple alignment to structure



- Find columns in the alignment where mutations are correlated
- Mutual information - how correlated are the columns?

$$M_{i,j} = \sum_{x_i, x_j} f_{x_i x_j} \log \left(\frac{f_{x_i x_j}}{f_{x_i} f_{x_j}} \right)$$

$M_{i,j}$ = mutual information between columns i and j

$f_{x_i x_j}$ = frequency of each of 16 pairs of nucleotides at columns i and j

f_{x_i} = frequency of each of 4 nucleotides at column i

f_{x_j} = frequency of each of 4 nucleotides at column j

Mutual information

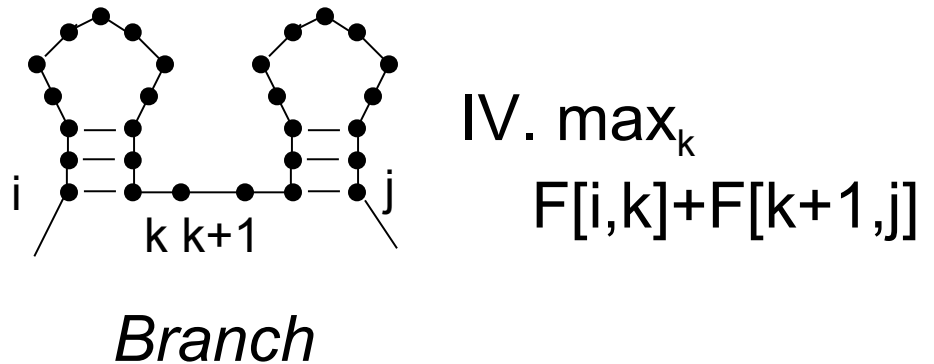
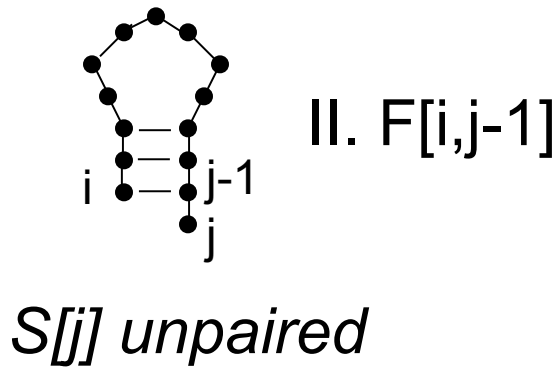
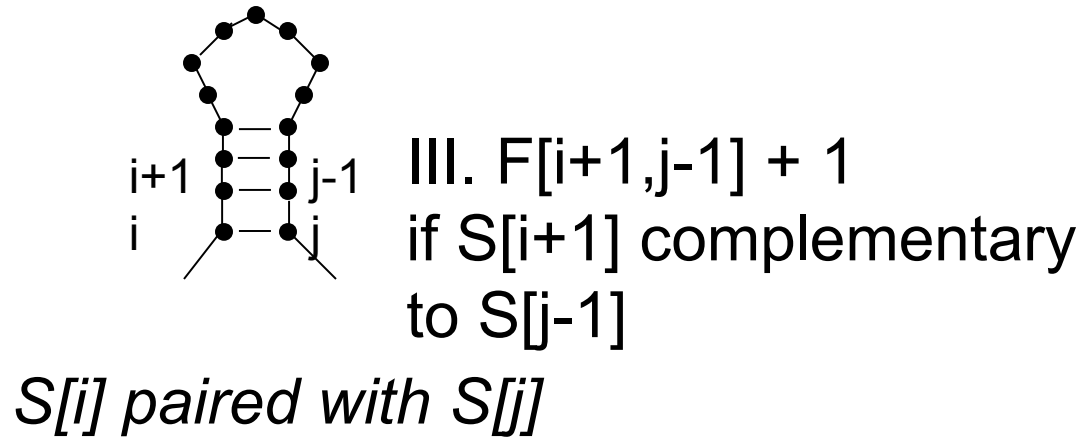
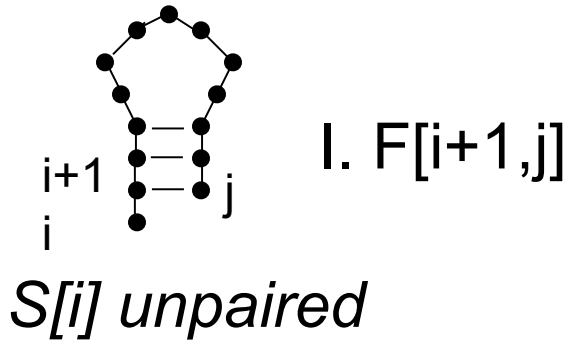
- Ranges from 0 to 2 for a 4-letter alphabet
- Correlated columns - mutual information high
- Advantages:
 - Don't need to know how RNA folds - pseudo-knots should “pop” out of the alignment
- Disadvantages:
 - Need many sequences in an alignment (to compute frequencies)
 - The aligned sequences must be sufficiently divergent (conserved columns provide no information)

Nussinov's algorithm

- Assumes no pseudo-knots
- Dynamic programming approach – maximize # of pairings
- S – string of nucleotides representing the RNA molecule
- Sub-problem – $F[i,j]$ – score of folding just $S[i..j]$
- Initial values: $F[i-1,i] = F[i,i] = F[i, i+1] = 0$

Nussinov's algorithm

$F[i,j]$ is the maximum of:



Questions

- In what order do we fill the dynamic programming table?
- How can we ensure that "loops" consist of at least k nucleotides?
- Note: related to CYK parsing algorithm for Chomsky Normal Form grammars

	G	G	G	A	A	A	U	C	C
G									
G									
G									
A									
A									
A									
U									
C									
C									

$$\left\{ \begin{array}{l} F[i+1, j] \\ F[i, j-1] \\ F[i+1, j-1] + 1 \text{ (if paired)} \\ \max_k F[i, k] + F[k+1, j] \end{array} \right.$$

G G G A A A U C C

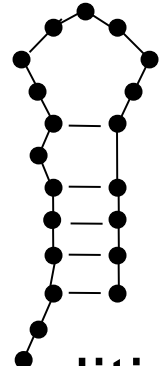
G
G
G
A
A
A
U
C
C

0	0	0	0	0	0	1	2	3
0	0	0	0	0	0	1	2	3
	0	0	0	0	0	1	2	2
		0	0	0	0	1	1	1
			0	0	0	1	1	1
				0	0	1	1	1
					0	0	0	0
						0	0	0
							0	0

GGGAAAUCC
((.(.)))
.((.(.)))

A better objective function

- Find the RNA fold that minimizes the Gibbs free energy
- Zucker's algorithm keeps track of:
 - Stacking energy - $f(\# \text{ of base-pairs in a stem})$
 - Loop energy - $f(\text{length of loop})$
 - Bulge energy - $f(\text{length of bulge})$
 - Dangle energy - $f(\text{length of dangle})$
- Computation is done with an extension of the traditional (Nussinov) dynamic programming approach
- One extension: compute sub-optimal folds
 - during backtracking, try multiple paths



Question

How do you change Nussinov's algorithm to allow the computation of the stacking energy?

Hint: think affine gap penalties.

Protein folding

- Protein shape determines protein function
- Protein sequence determines protein shape (Anfinsen's experiment)
- Levinthal's paradox – space of possible protein conformations is exponentially large, yet proteins fold fast (μsec – minutes).
- Corollary: proteins must “know” how to fold (i.e. they don't search the entire space of conformations)
- Note: much easier to find a protein's sequence than its structure

Protein folding

- Note: mis-folded proteins may cause disease (e.g. Creutzfeldt-Jakob a.k.a. mad cow)
- Drugs (e.g. antibiotics) often inhibit protein function – knowing structure can help design drugs
- Folding@home – lend your computer's unused cycles to help fold proteins (like SETI@home) (do you believe in evolution or aliens ?)